

Earth's Center of Mass Handling for GNSS Orbit Determination and PPP

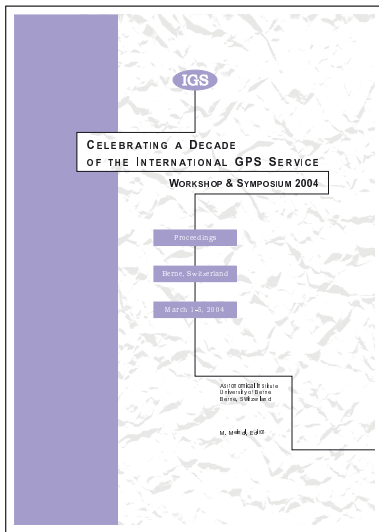
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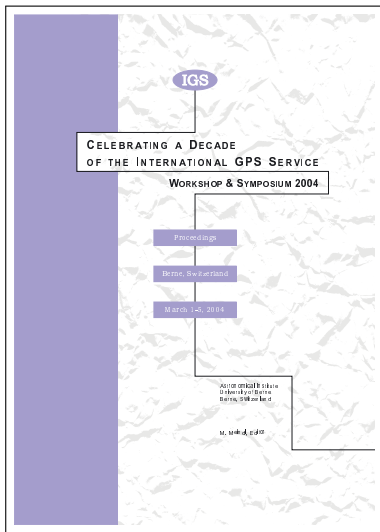
IGS Symposium & Workshop
1–5. July 2024, Bern Switzerland

IGS Workshop 2004

Recommendations:



IGS Workshop 2004



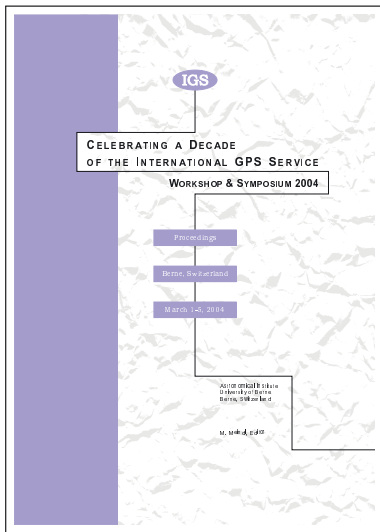
Recommendations:

- All IGS satellite clocks should be in ITRF center of network. . . .
- The PPP realization of ITRF using IGS products . . .

extract from Recommendation 2.10 – IGS Reference Frame Maintenance

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IGS Workshop 2004



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- *Handling of geocenter motion:*

$$GCRF = P \cdot N \cdot R \cdot W \cdot (ITRF + O(t)) \dots$$

$O(t)$: “instantaneous” geocenter offset vector

extract from Recommendation 3.5 – Other Reference Issues

The clear theory

Something unexpected

Explanation for the surprise

Discussion

Illustration of the problem

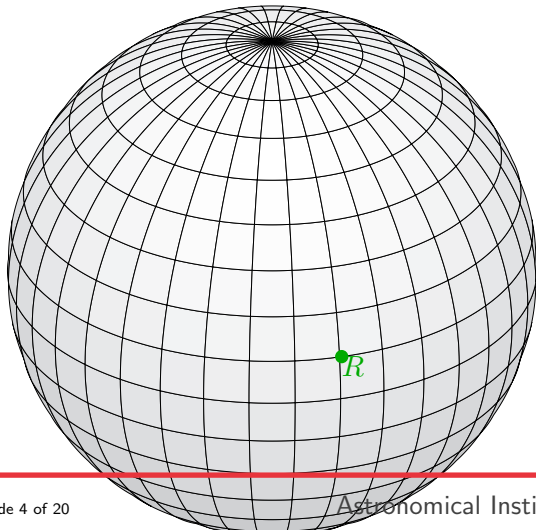


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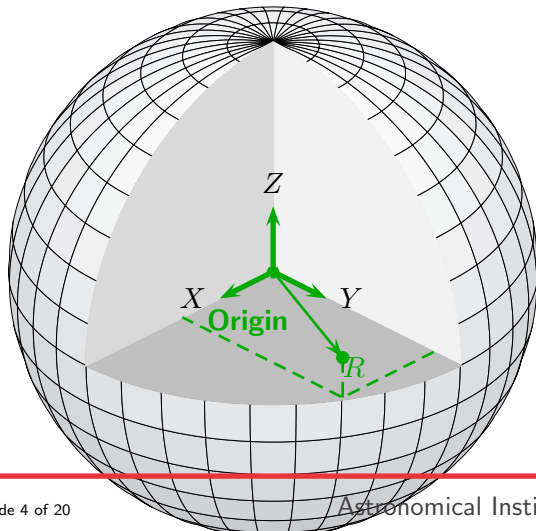


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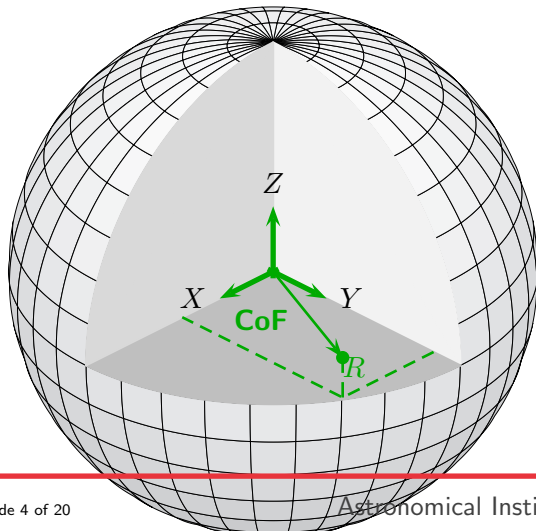


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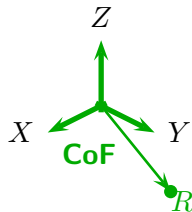


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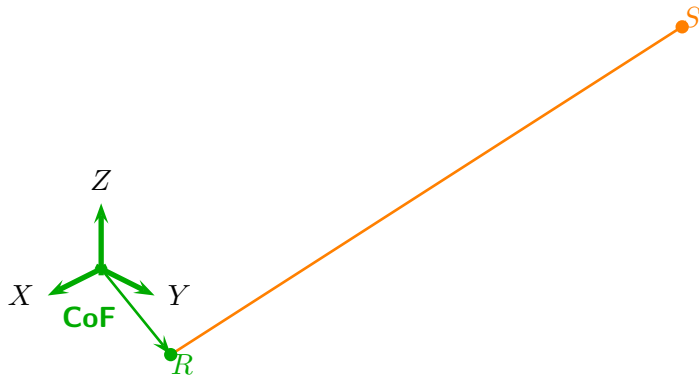


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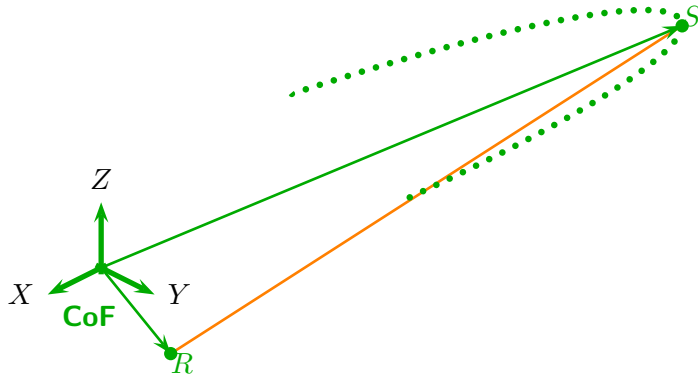


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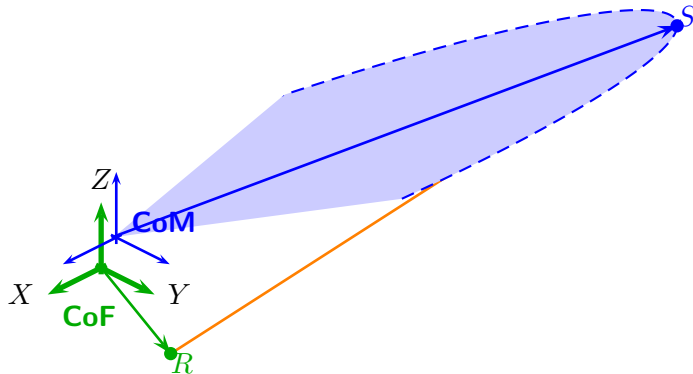
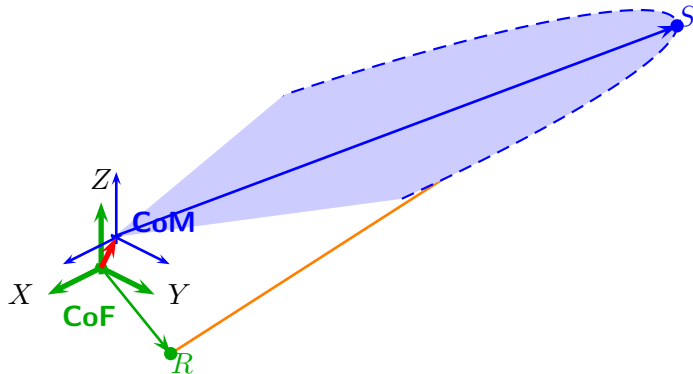


Illustration of the problem



Which reference frames are needed for which purpose?

GNSS station:

ITRF (CF-based)

- Earth fixed system with stable origin in time

Satellite positions (for interpolation):

ITRF (CF-based)

- the same frame as the GNSS stations (for user's convenience)
- realized today in the SP3 orbit product files

Satellite orbits (for orbit modelling):

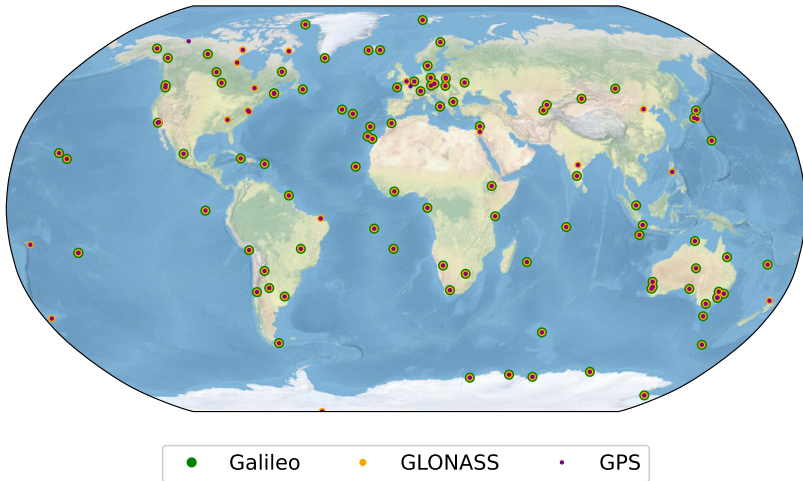
GCRF (CM-based)

- Earth centered system that does not participate in the Earth rotation
- instantaneous center of mass as the origin

We just need a well established ITRF;

GCRF is only needed temporally during the data analysis.

The experiment setup



Network of 120 IGS stations as used by CODE rapid solution.

The experiment setup

Following the CODE processing scheme for the IGS rapid solution:

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- one-day orbit solution
 - day 179 to 190 of year 2023
 - ambiguities resolved

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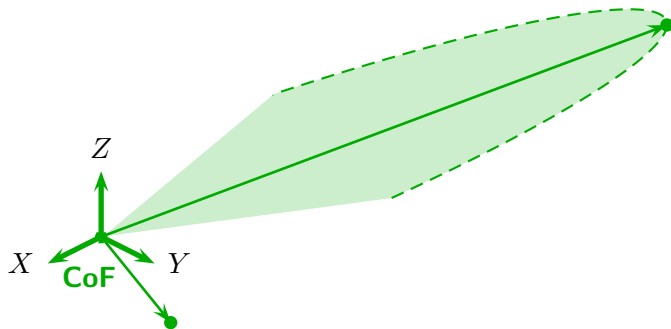
- one-day orbit solution
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- three one-day solutions are connected to a long-arc solution
 - day 180 to 189 of year 2023
 - extraction of the middle day
 - datum definition: NNR+NNT condition on a verified set of stations in IGS20 frame

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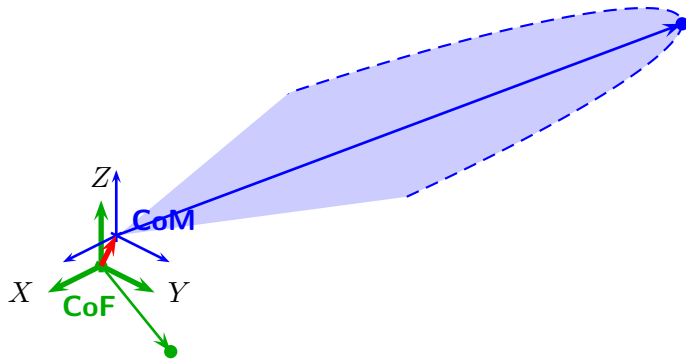
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 - datum definition: NNR+NNT condition on a verified set of stations in IGS20 frame
- back substitution of the receiver and satellite clock parameter
 - day 180 to 189 of year 2023
 - geometry from the three-day long-arc solution is introduced

The experiment setup: Solution CoF



The experiment setup: Solution CoM



Comparing the CoF- and CoM-based solutions

Station coordinates (in IGS20 frame):

- no significant transformation parameters
- agreement: RMS of differences (without transformation parameters) < 0.5 mm

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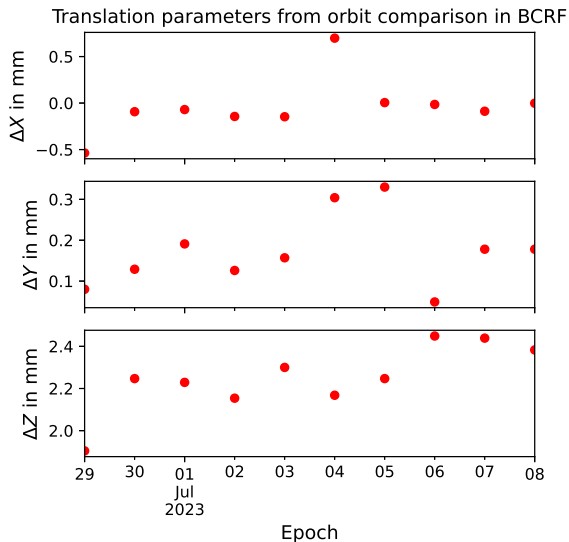
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Satellite positions (in GCRF incl. geocenter vector):

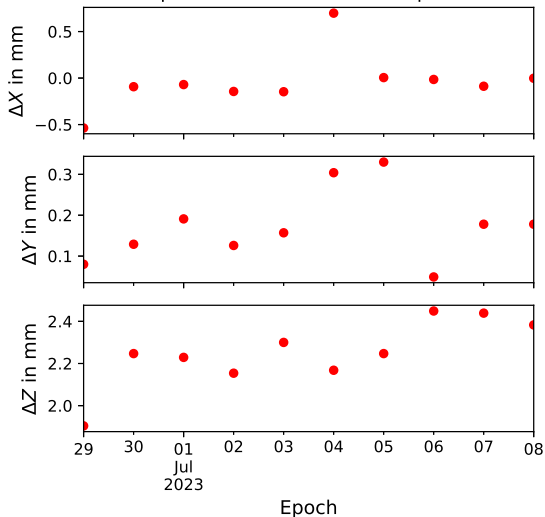
- agreement: RMS of differences (with transformation parameters) $\approx 5 \dots 7$ mm

Comparing the CoF- and CoM-based solutions



Comparing the CoF- and CoM-based solutions

Translation parameters from orbit comparison in BCRF



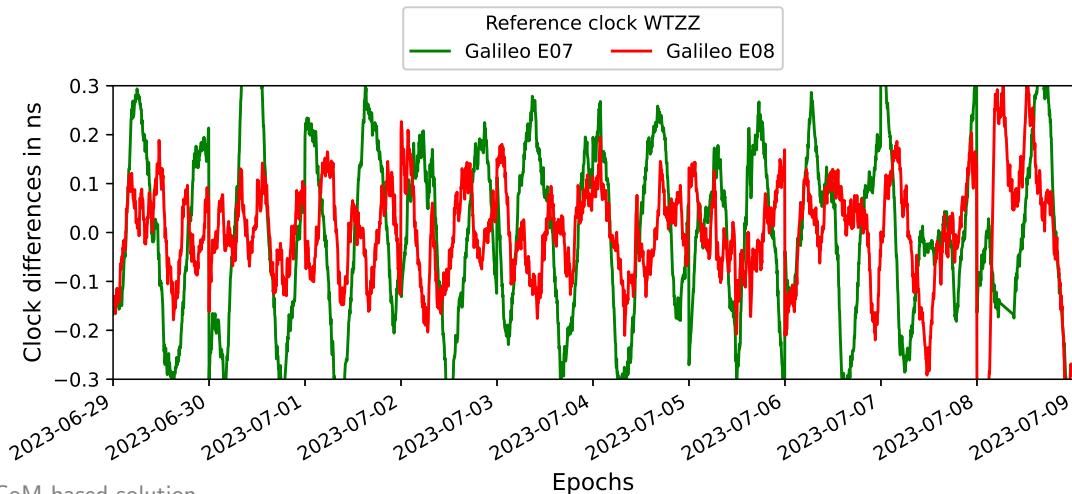
Geocenter correction applied:

- X-component: 0.5 mm
- Y-component: 3.2 mm
- Z-component: 3.2 mm

Geocenter motion model from ITRF2020

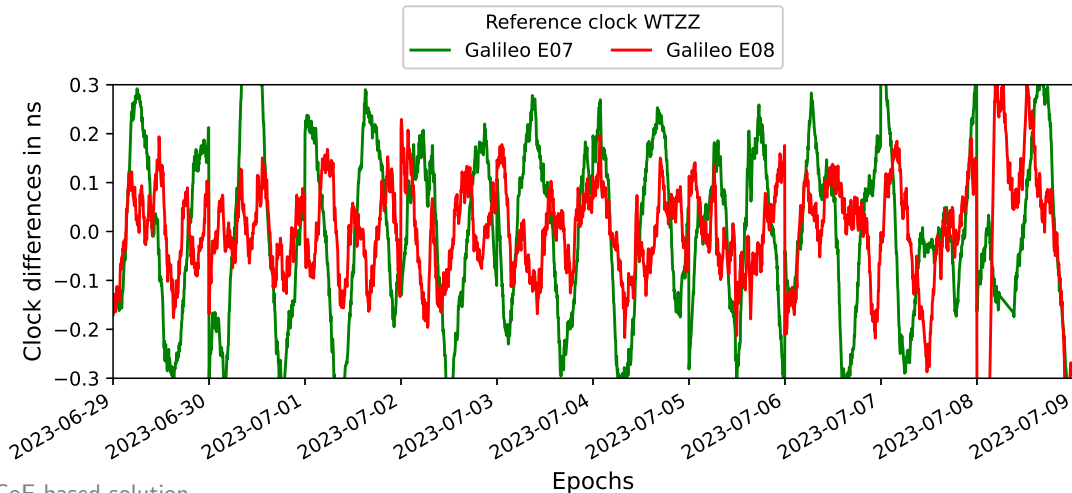
<https://itrf.ign.fr/ftp/pub/itrf/itrf2020/...>
ITRF2020-geocenter-motion.dat

Comparing the obtained satellite clock corrections



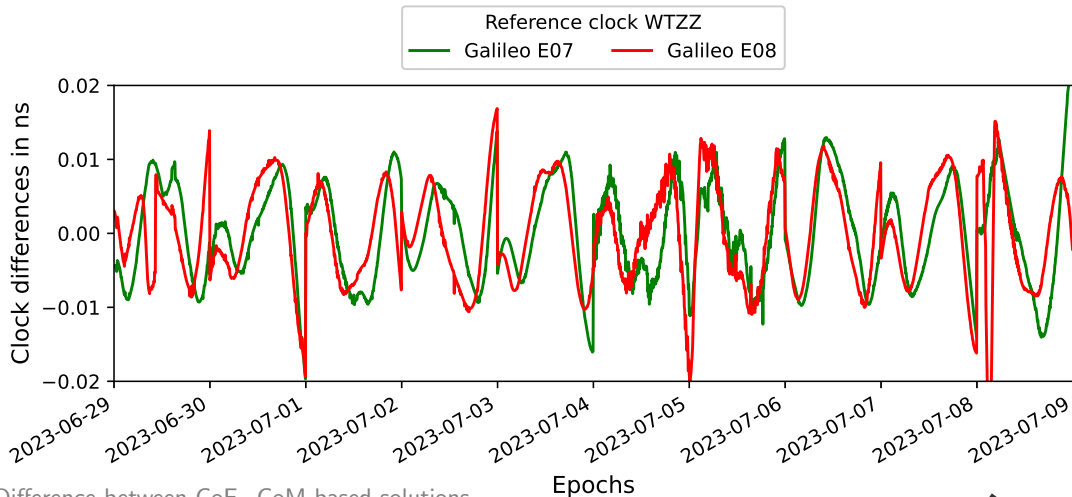
CoM-based solution

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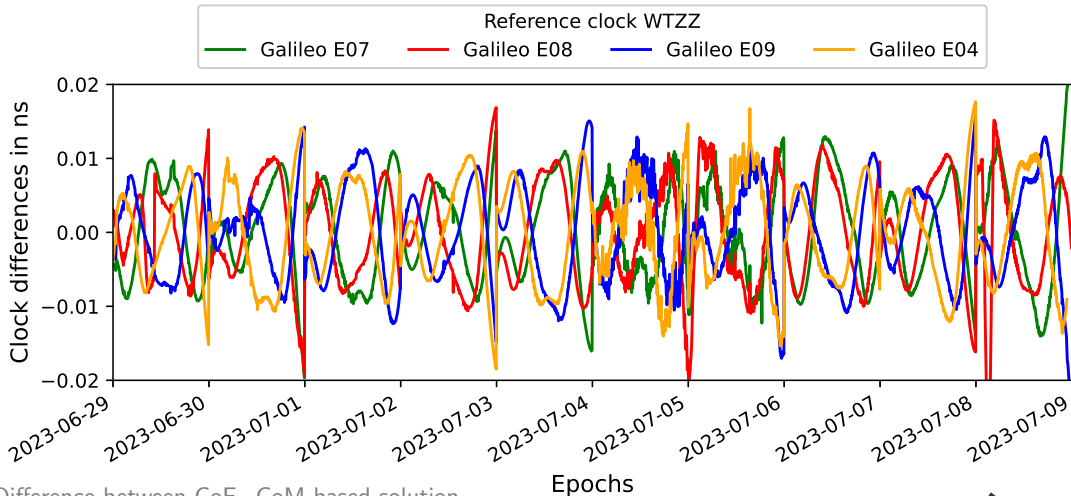
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Comparing the obtained satellite clock corrections



Difference between CoF—CoM-based solutions

Comparing the obtained satellite clock corrections



Difference between CoF—CoM-based solution

Satellite clock corrections do absorb the Geocenter correction

From the satellite clock differences
the related geocenter vector is extracted:

- X-component: 0.7 mm
- Y-component: 3.5 mm
- Z-component: 2.6 mm

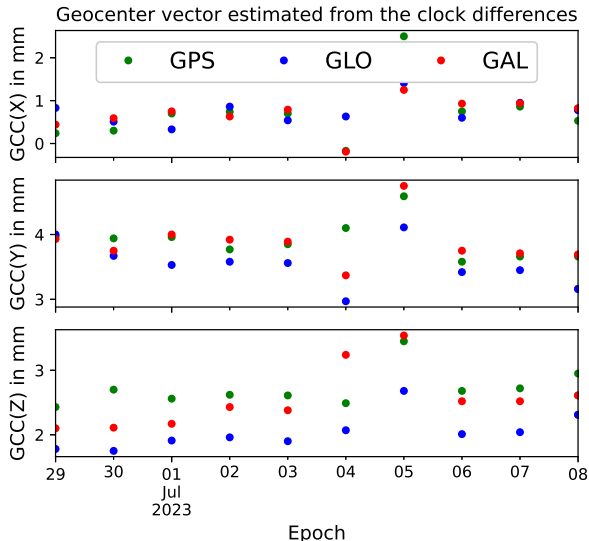
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How to bring the GNSS orbits into the CoF?

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- The GNSS satellites “know” where the Center of Mass is.

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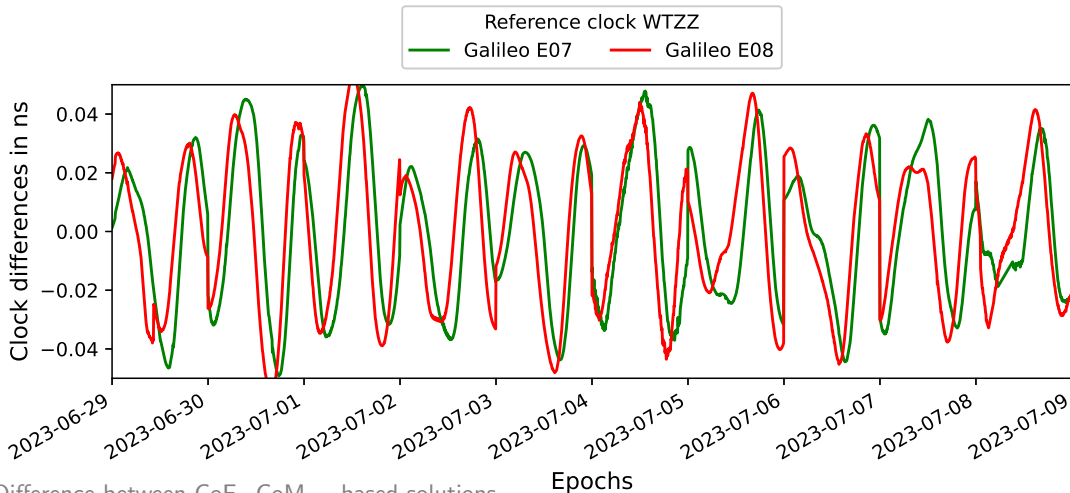
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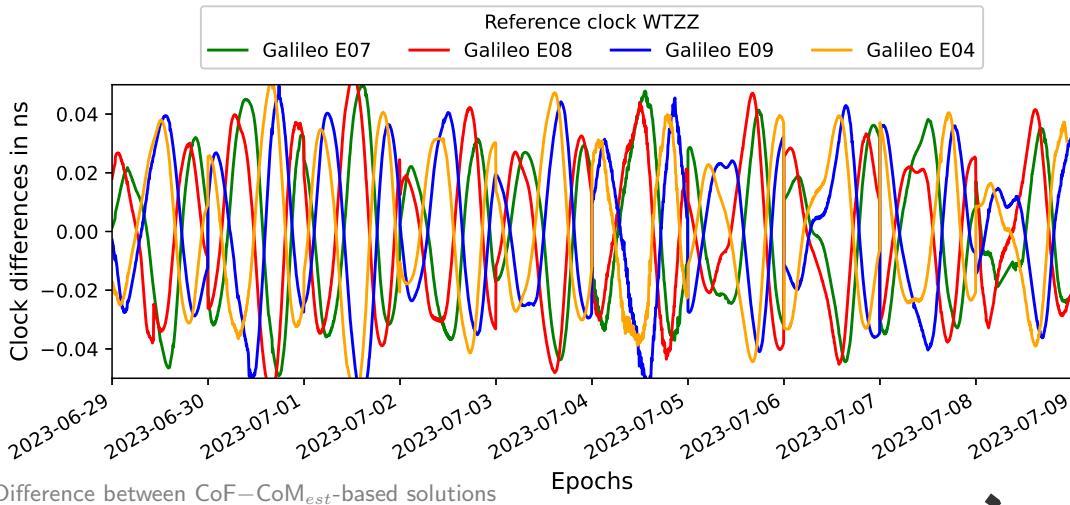
The procedure was repeated a third time with estimated translation vector instead of introducing the ITRF2000-based geocenter corrections.

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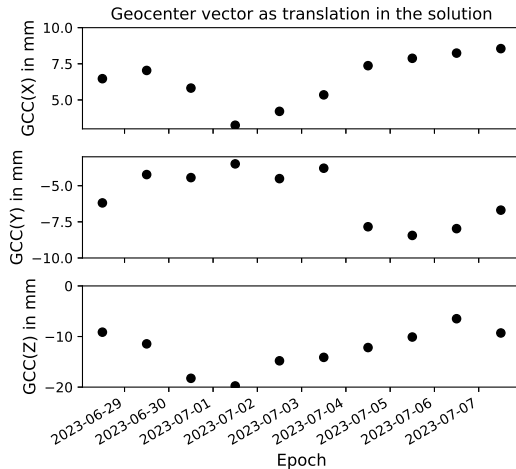
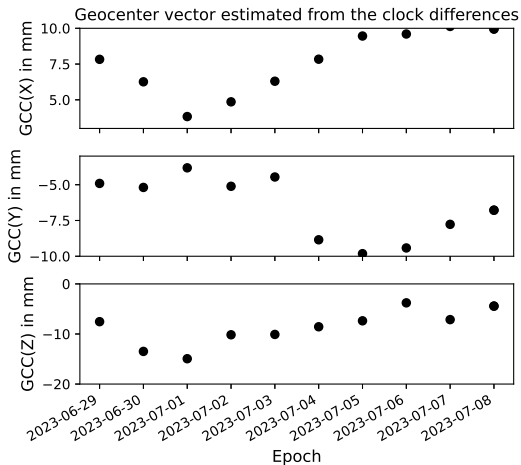


Difference between CoF–CoM_{est}-based solutions

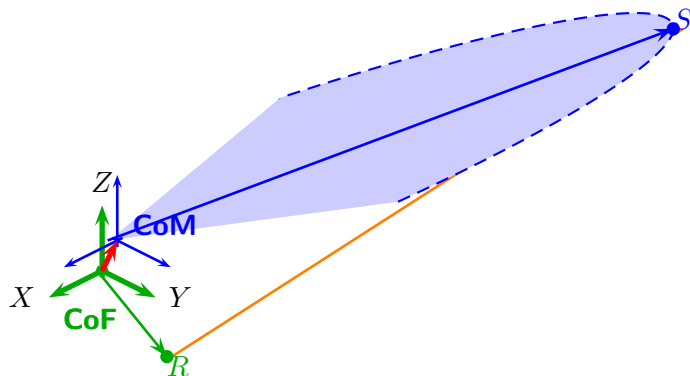
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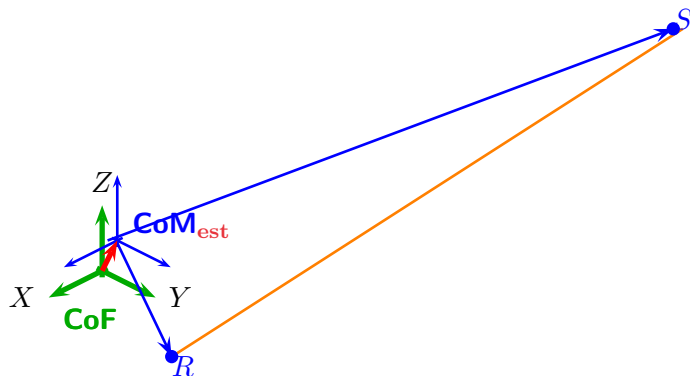
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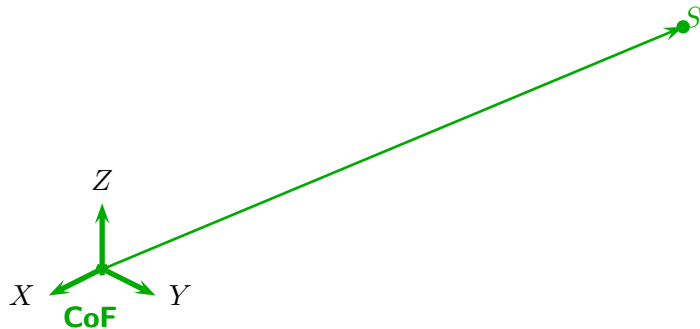
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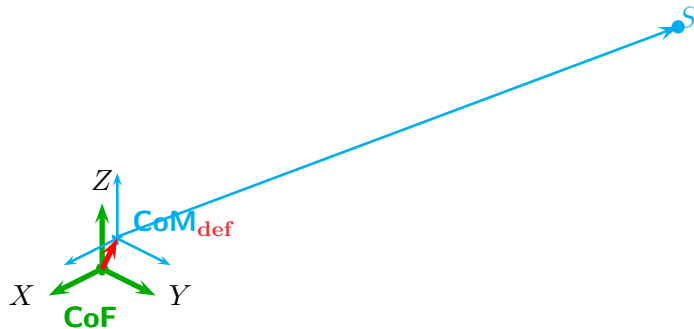
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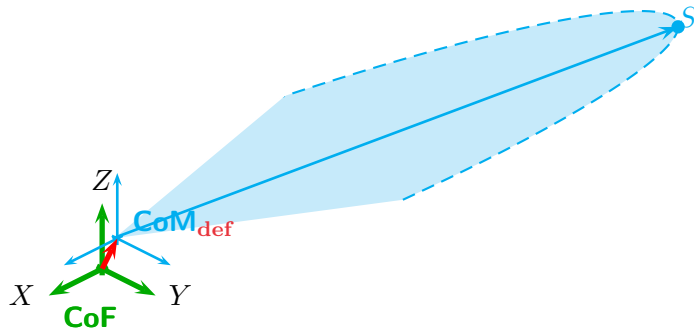
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- } differences: 1 ... 5 mm
- } differences: 1 ... 2 mm

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- For LEOs, the geocenter vector cannot be absorbed by the satellite clocks.
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- Applying the same geocenter vector for GNSS and LEO orbits, solves the issue: all satellites – in particular the LEO – are flying around the CoM.

Conclusions

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- For PPP one has to be careful regarding the consistency.
- Any PPP solution has to end up in the ITRF (CF-based frame).
- There exist alternatives for specific applications, like LEO-POD.

THANK YOU

for your attention



Publications of the satellite geodesy research group:

<http://www.bernese.unibe.ch/publist>